

***k*-th order intelligences: Learning to learn to do.**

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- ➔ How can we make machines **learn by themselves**?
 - Agents that learn with **no external intervention**.
 - **A.G.I.**: The capability of adapting to any problem.
Assumption: A.G.I. requires full self-modification.

- ➔ Related to [Bateson, G. (1972) Steps to an ecology of mind].
 - **Zero learning**, Learning I, Learning II, etc.
 - Extend and explore deeper orders of learning.

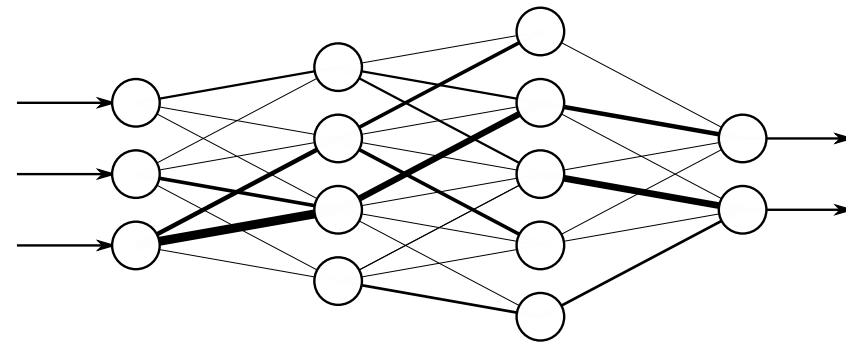
- ➔ Objectives:
 - Propose ways to stop the infinite escalation of orders
 - Evaluate the proposal.

Computational processes (order 1)



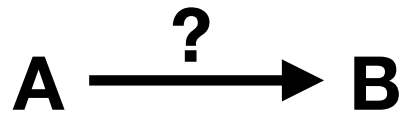
- Input and method are known.
- Outcome is not known.

- No changes to the intelligent agent. “Doing”
- Corresponds to Bateson’s Zero Learning.



- Resolution: Evaluate $f(A)$.

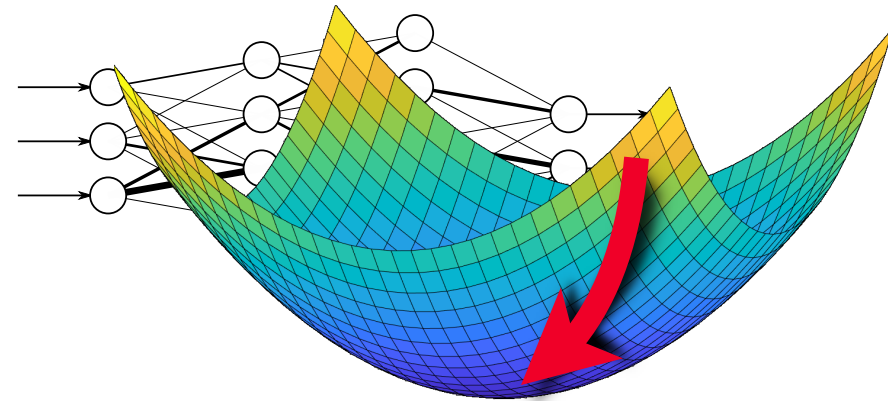
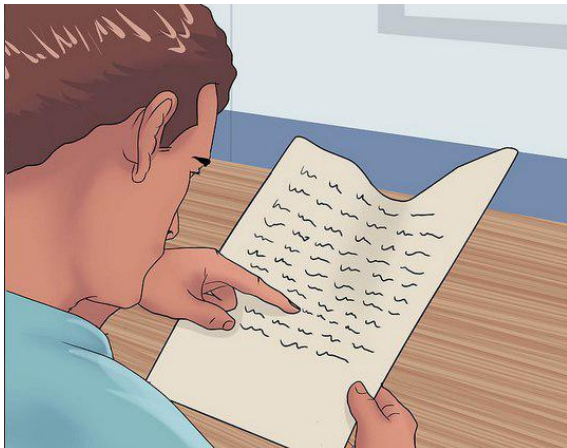
Learning processes (order 2)



- Input and outcome are known.
- Method is not known.

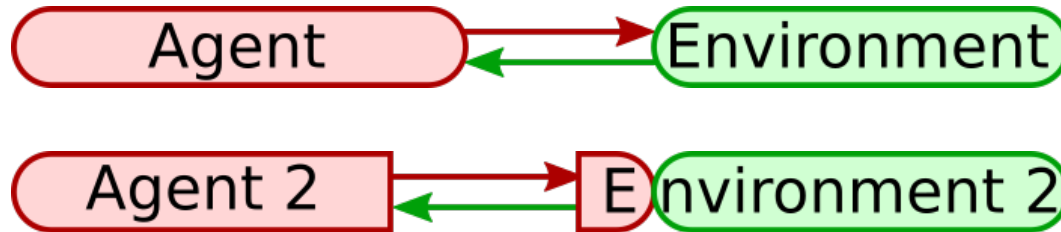
- No changes to the environment: partial self-modification.
“Learning to do”
- Corresponds to Bateson’s Learning I.

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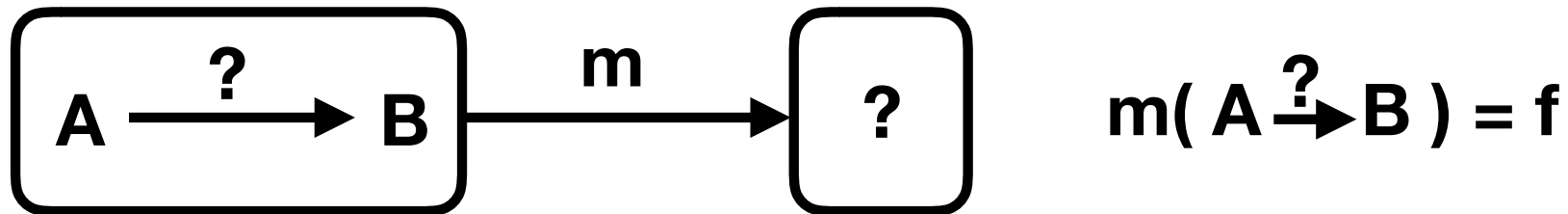


Resolution of learning processes

→ Consider new agent-environment system:



→ Metacomputational processes.



→ Meta-learning process: Learning in agent 2.

- Bateson's Learning II.
- e.g. Learning to read.
- e.g. Research on AI.

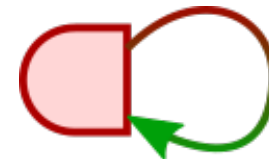
Meta-learning (order k)

→ Apply induction:

- First order interacts with the environment.
- Following orders discard parts of the agent into the environment.
- Learning to learn to ... to do.



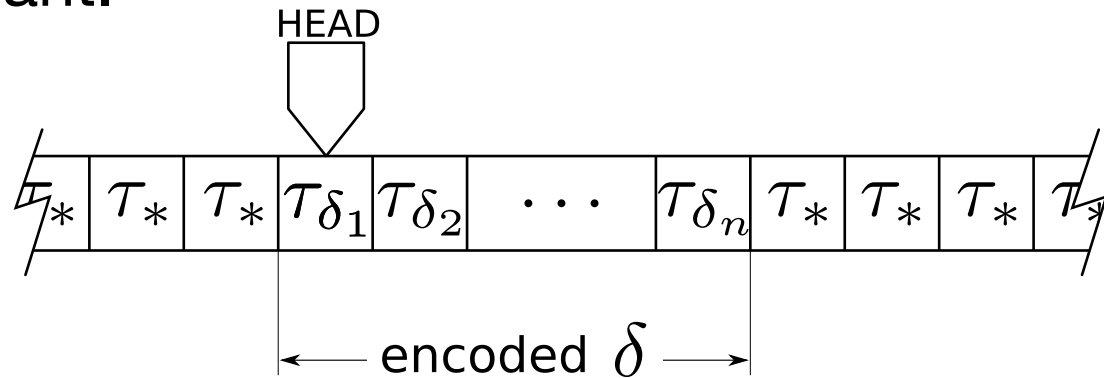
- There will always be a meta-system of a system (a smaller agent).
- Unless we consider a self-referential meta-system.
- Stops the infinite escalation of orders.



Self-referential Turing Machine

- Consider a Universal Turing Machine.
- With its action table δ stored in its own tape.
- The action table is variant.

$$\delta_{t+1} = \delta_t(\delta_t)$$



- The action table is a function of itself.
 - Godel Incompleteness Theorems.
- Can the Turing Machine arrive at a specific action table?
 - P vs NP problem. Undecided. No AGI?

- Learning processes output the methods used in computational processes, i.e. algorithms.
- Learning processes are meta-computational processes.
- By induction, we arrive at infinite orders of meta-processes.
- Unless we consider self-referential systems.
e.g. Self-referential Universal Turing Machine.
- Artificial Intelligence is limited by its meta-models.

Thank you for your attention.

ご清聴ありがとうございました

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